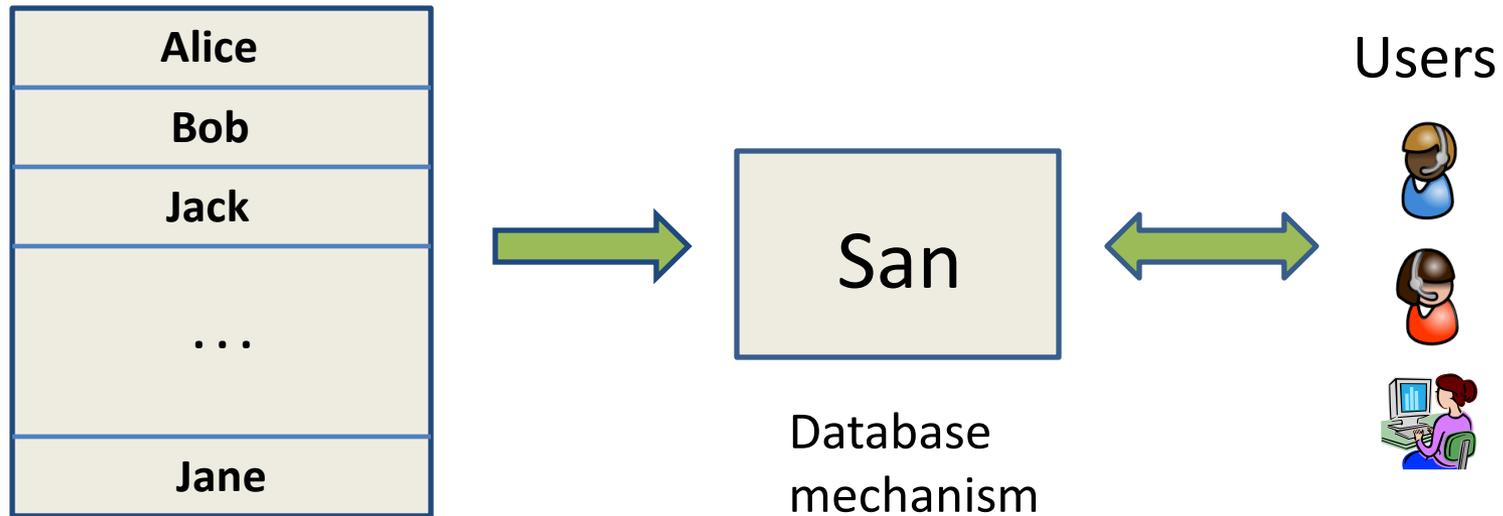


Crowd-Blending Privacy

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Data Privacy



Database containing data. E.g., census data, medical records, etc.

- **Utility**: Accurate statistical info is released to users
- **Privacy**: Each individual's sensitive info remains hidden

Simple Anonymization Techniques are Not Good Enough!

- Governor of Massachusetts Linkage Attack [Swe02]
 - “Anonymized” medical data + public voter registration records
 - ⇒ Governor of MA’s medical record **identified!**
- Netflix Attack [NS08]
 - “Anonymized” Netflix user movie rating data + public IMDb database
 - ⇒ Netflix dataset partly **deanonymized!**

Privacy Definitions

- k -anonymity [Sam01, Swe02]
 - Each record in released data table is indistinguishable from $k-1$ other records w.r.t. certain identifying attributes
- Differential privacy [DMNS06]
 - \forall databases D, D' differing in only one row,
$$\text{San}(D) \approx_{\epsilon} \text{San}(D')$$
- Zero-knowledge privacy [GLP11]
 - \forall adversary A interacting with San , \exists a simulator S s.t. $\forall D, z, i$, the simulator S can simulate A 's output given just k random samples from $D \setminus \{i\}$:

$$\text{Out}_A(A(z) \leftrightarrow \text{San}(D)) \approx_{\epsilon} S(z, \text{RS}_k(D \setminus \{i\}))$$

Privacy Definitions

- *k*-anonymity
 - **Good:** Simple; efficient; practical
 - **Bad:** Weak privacy protection; known attacks
- Differential privacy
 - **Good:** Strong privacy protection; lots of mechanisms
 - **Bad:** Have to add noise. Efficient? Practical?
- Zero-knowledge privacy
 - **Good:** Even stronger privacy protection, lots of mechanisms
 - **Bad:** Have to add even more noise. Efficient? Practical?

Practical Sanitization?

- Differential privacy and zero-knowledge privacy
 - Mechanism needs to be **randomized**
 - **noise** is added to the exact answer/output (sometimes quite a lot!)
- In practice
 - Don't want to add (much) noise
 - Want **simple** and **efficient** sanitization mechanisms
- Problem: Is there a **practical** way of sanitizing data while ensuring **privacy** and **good utility**?

Privacy from Random Sampling

- In practice, data is often collected via **random sampling** from some population (e.g., surveys)

Population



Random Sampling



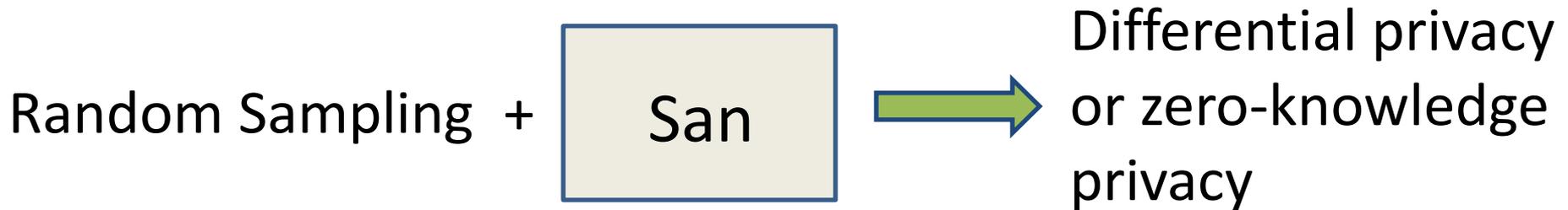
Alice
Bob
Jack
...
Jane



- Already known: If **San** is differentially private, then the random sampling step amplifies the privacy of **San** [KLNRS08]
- Can we use a **qualitatively weaker** privacy def. for **San** and still have the combined process satisfy a strong notion of privacy?

Leveraging Random Sampling

- **Goal:** Provide a **privacy definition** such that if **San** satisfies the privacy definition, then:



- Should be **weaker** than differential privacy
⇒ Better utility!
- Should be **meaningful by itself** (without random sampling)
 - Strong fall-back guarantee if the random sampling is corrupted or completely leaked

k-Anonymity Revisited

- *k*-anonymity: Each record in released data table is indistinguishable from $k-1$ other records w.r.t. certain identifying attributes
- Based on the notion of “blending in a crowd”
- Simple and practical
- Problem: Definition restricts the **output**, not the mechanism that generates it
 - Leads to practical attacks on *k*-anonymity

k-Anonymity Revisited

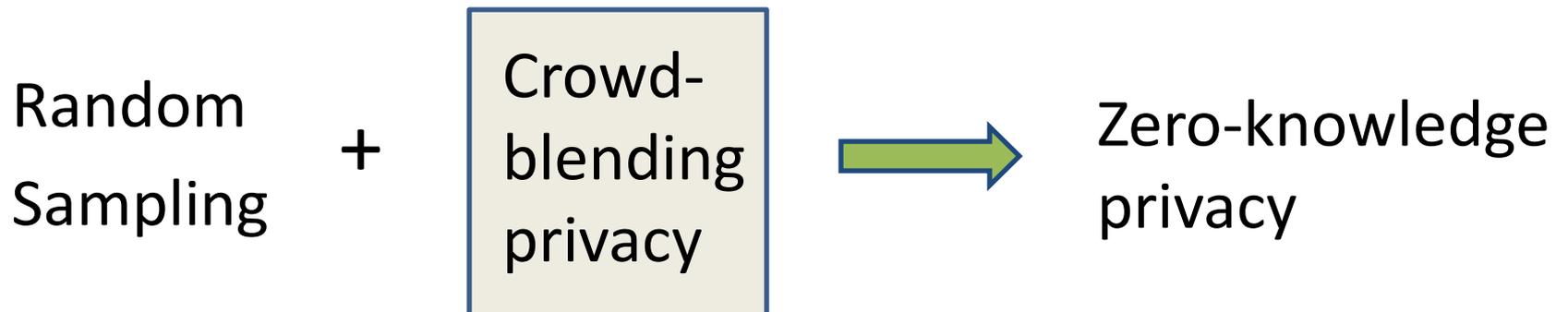
- A simple example illustrating the problem:
 - Use any existing algorithm to generate a data table satisfying *k*-anonymity
 - At the end of each row, attach the personal data of some **fixed** individual from the original database
- The output satisfies *k*-anonymity but **reveals personal data** about some individual!
- There are plenty of other examples!

Towards a New Privacy Definition

- k -anonymity does not impose restrictions on mechanism
 - Does not properly capture “blending in a crowd”
- One of the key insights of differential privacy: Privacy should be a **property of the mechanism!**
- We want a privacy definition that imposes restrictions on the mechanism and properly captures “blending in a crowd”

Our Main Results

- We provide a new privacy definition called **crowd-blending privacy**
- We construct **simple** and **practical** mechanisms for releasing histograms and synthetic data points
- We show:



Blending in a Crowd

- Two individuals (with data values) t and t' are ϵ -indistinguishable by San if

$$\text{San}(D, t) \approx_{\epsilon} \text{San}(D, t') \quad \forall D$$

- Differential privacy: Every individual t in the universe is ϵ -indistinguishable by San from every other individual t' in the universe.
 - In any database D , each individual in D is ϵ -indistinguishable by San from every other individual in D

Blending in a Crowd

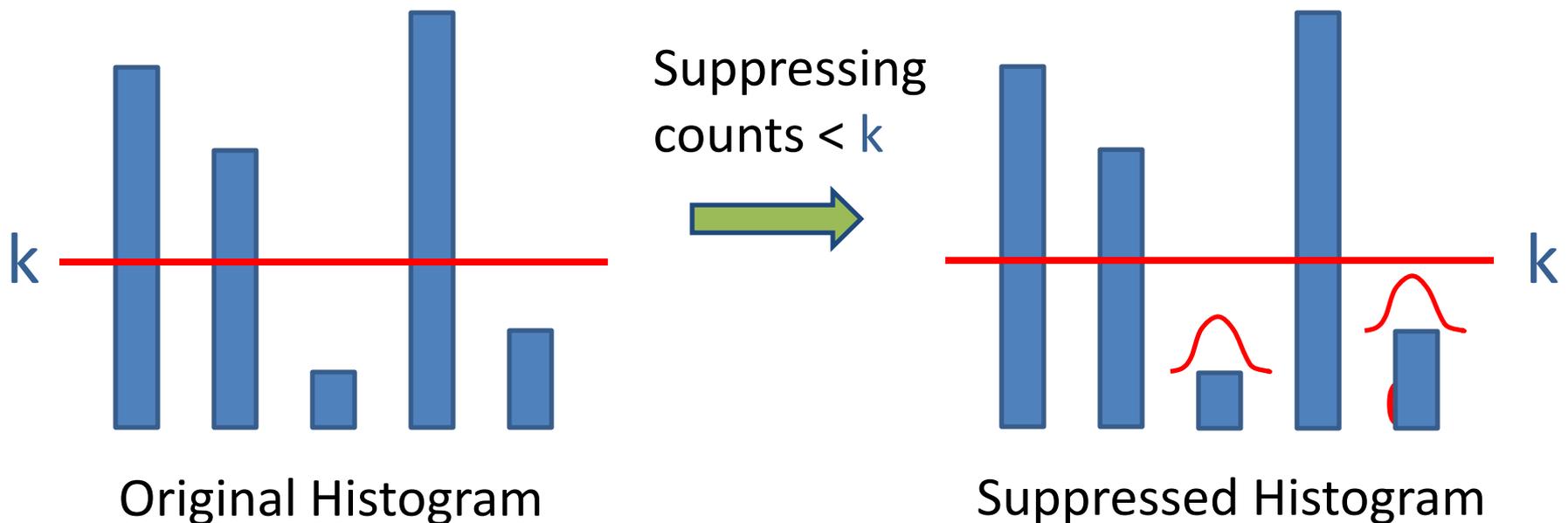
- First attempt of a privacy definition:
 $\forall D$ of size $\geq k$, each individual in D is ϵ -indistinguishable by San from at least $k-1$ other individuals in D .
 - Collapses back down to differential privacy:
If DP doesn't hold, then $\exists t$ and t' s.t. San can ϵ -distinguish t and t' ; now, consider a database $D = (t, t', t', \dots, t')$.
- Solution: D can have “outliers”, but we require San to essentially **delete/ignore** them.

Crowd-Blending Privacy

- **Definition:** San is (k, ϵ) -**crowd-blending private** if $\forall D$, and $\forall t$ in D , either
 - t is ϵ -indistinguishable from $\geq k$ individuals in D , or
 - t is essentially ignored: $\text{San}(D) \approx_{\epsilon} \text{San}(D \setminus \{t\})$.
- Weaker than differential privacy
 \Rightarrow **Better utility!**
- Meant to be used in conjunction with **random sampling**, but still meaningful by itself

Privately Releasing Histograms

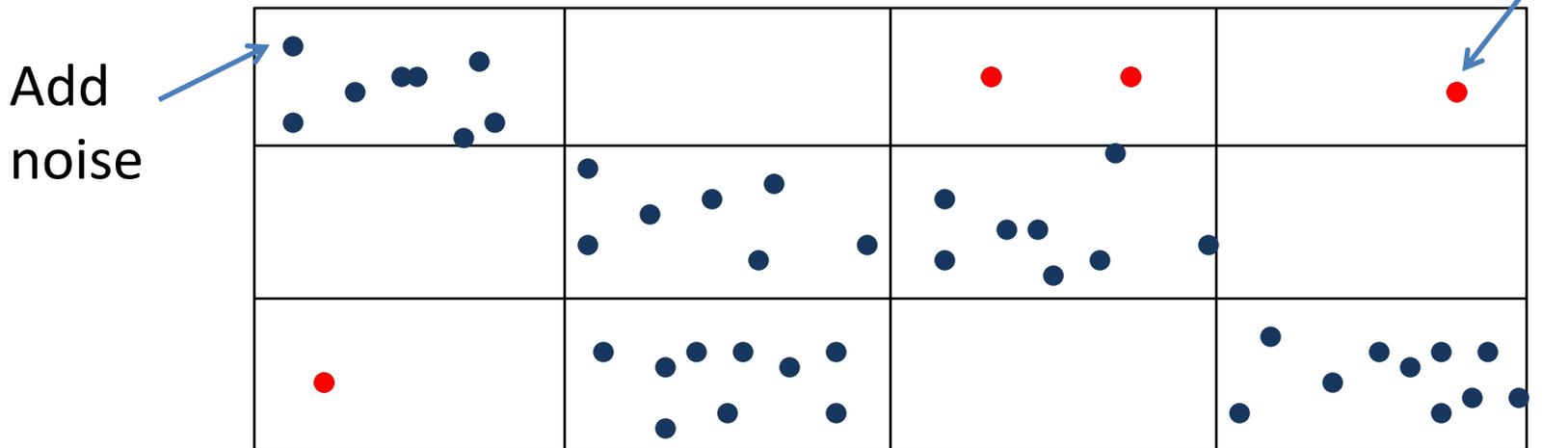
- $(k,0)$ -crowd-blending private mechanism for releasing histogram:
 - Compute histogram
 - For bin counts $< k$, suppress to 0



Simple and similar to what is done in **practice!**
(Not differentially private)

Privately Releasing Synthetic Data Points

- Impossible to **efficiently** and **privately** release synthetic data points for answering general classes of counting queries [DNRRV09, UV11]
- We focus on answering smooth query functions
 (k, ϵ) -crowd-blending private mechanism:



- The above CBP mechanism: Useful for answering **all smooth query functions** with decent accuracy
 - Not possible with differentially private synthetic data points

Our Main Theorem

Population



Random Sampling

With probability p



Alice
Bob
Jack
...
Jane



(k, ϵ) -crowd-blending
private mechanism

Theorem (Informal): The combined process satisfies **zero-knowledge privacy**, and thus differential privacy as well.

Our theorem holds even if the random sampling is **slightly biased** as follows:

- Most individuals are sampled w.p. $\approx p$
- Remaining are sampled with arbitrary probability

Thank you!