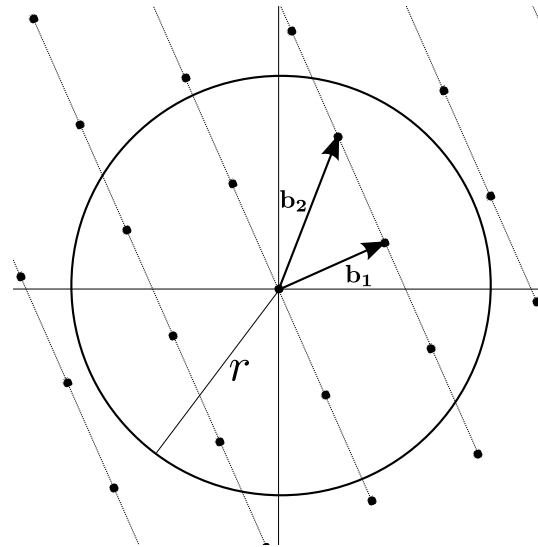


# SVP by Enumeration

Bridging the Gap between Theory and Practice



Michael Walter

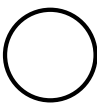
Daniele Micciancio

UCSD

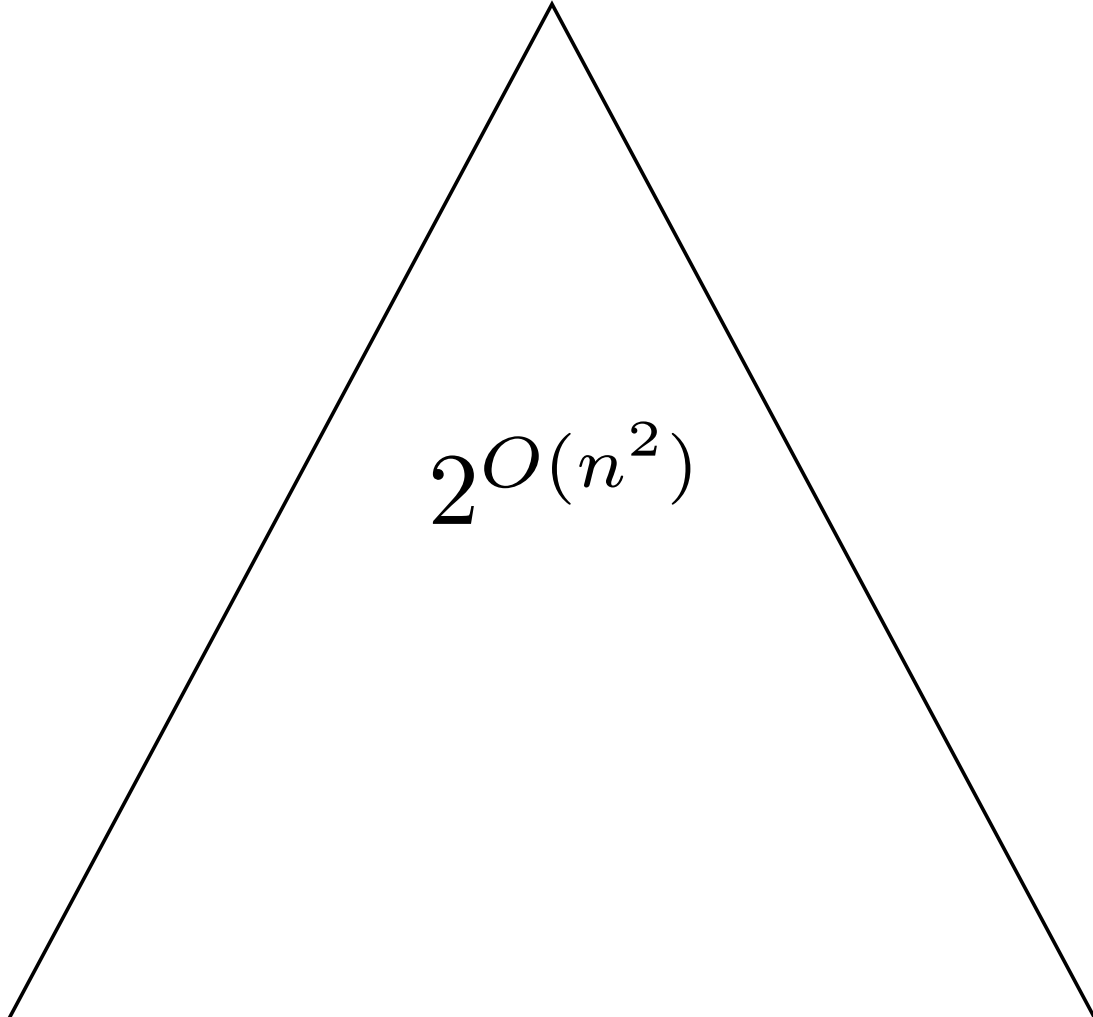
# Preprocessing LLL: Fincke-Pohst

Preprocessing

Enumeration Tree

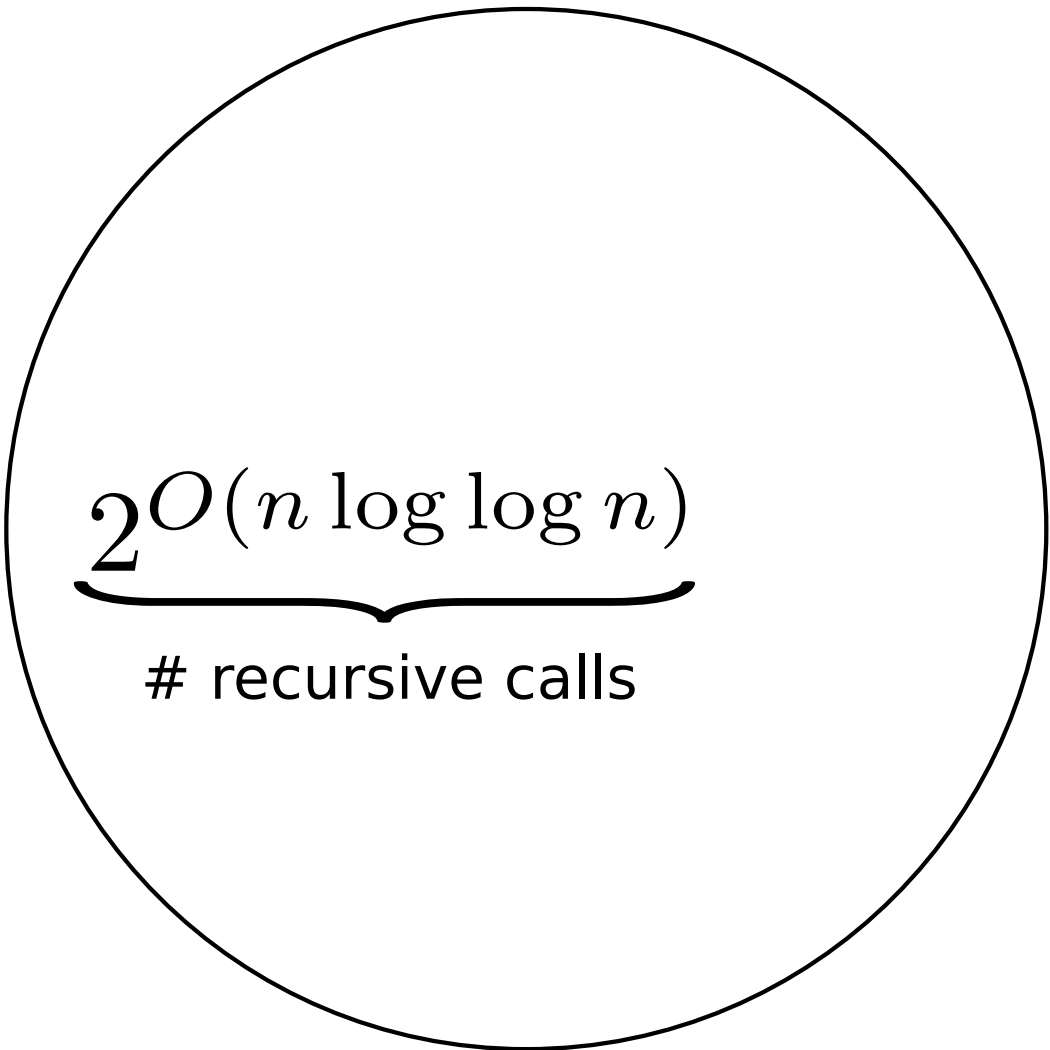
  
 $\text{poly}(n)$

$2^{O(n^2)}$

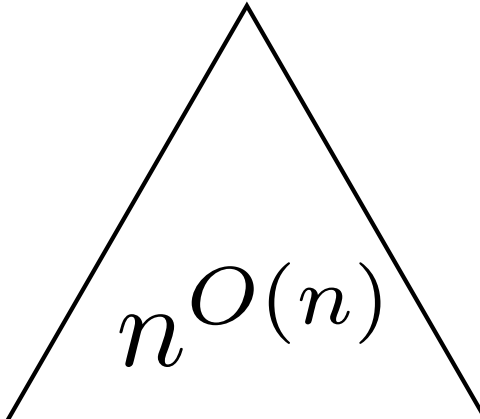


# Recursive Preprocessing: Kannan

Preprocessing

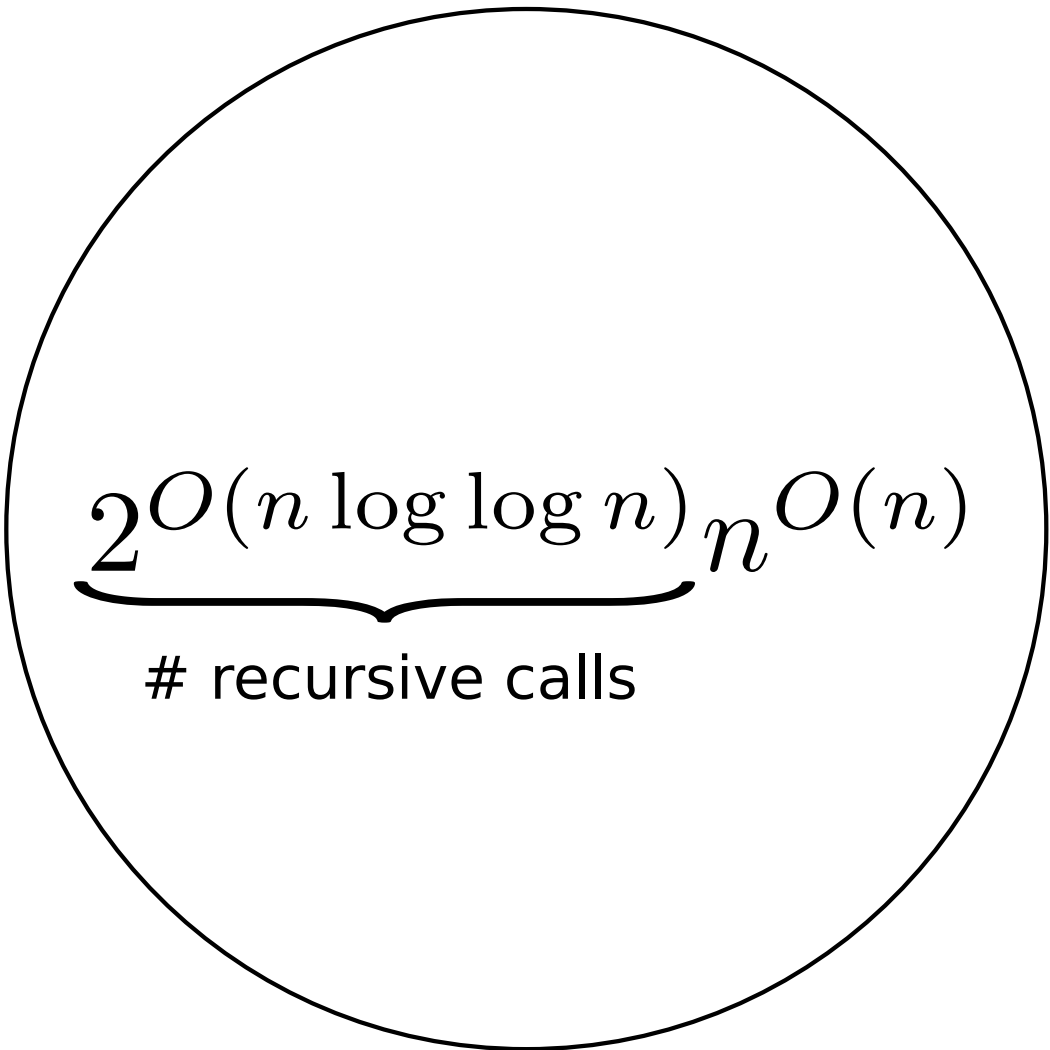

$$\underbrace{2^{O(n \log \log n)}}_{\# \text{ recursive calls}}$$

Enumeration Tree

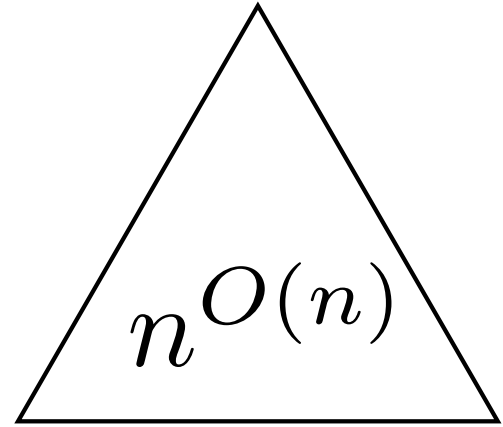

$$n^{O(n)}$$

# Recursive Preprocessing: Kannan

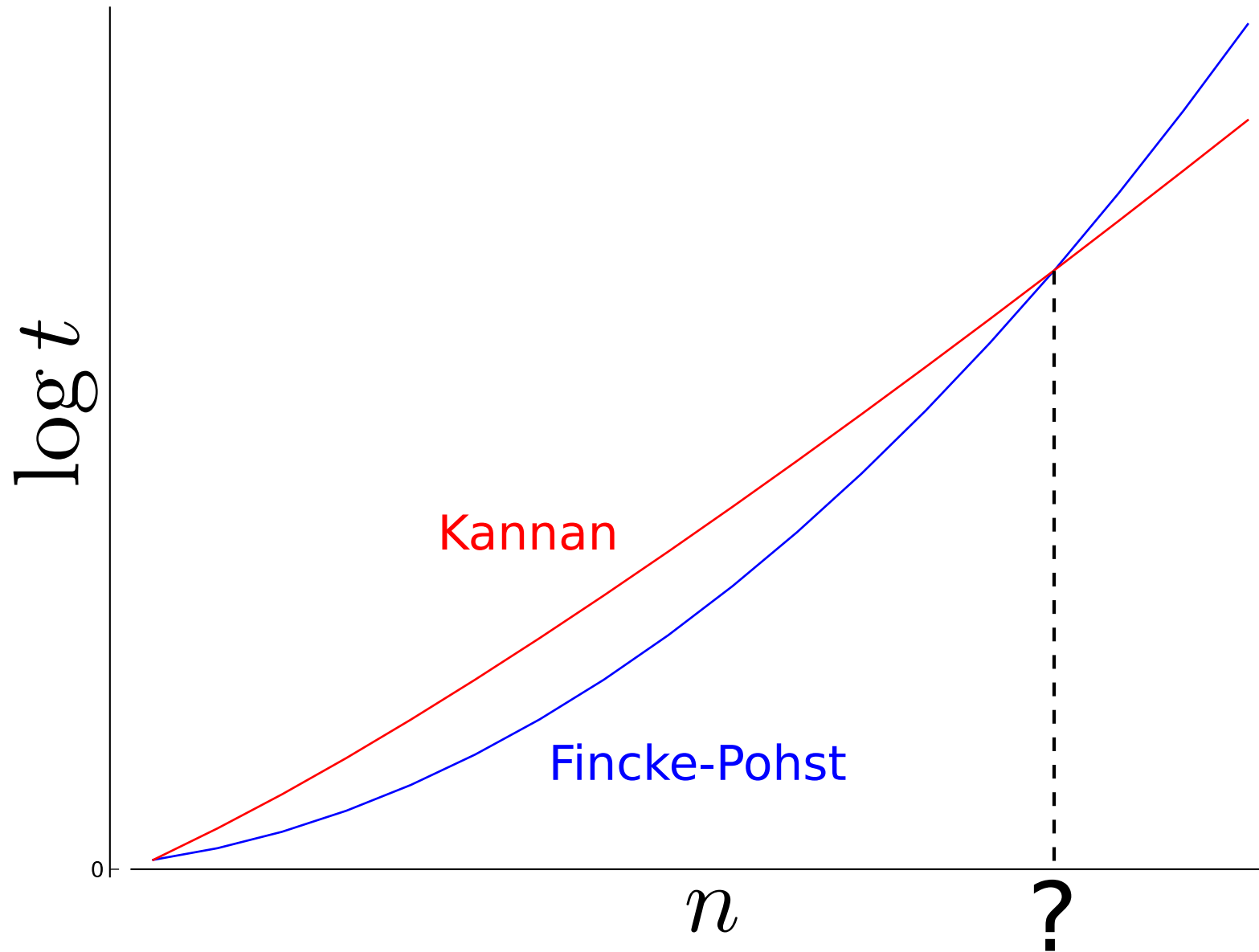
Preprocessing


$$\underbrace{2^{O(n \log \log n)}}_{\# \text{ recursive calls}} n^{O(n)}$$

Enumeration Tree

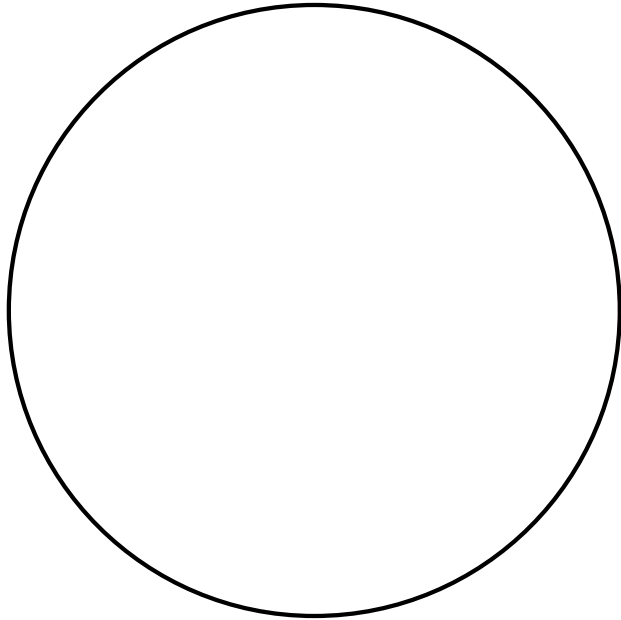

$$n^{O(n)}$$

# Fincke-Pohst vs Kannan



# Our Algorithm

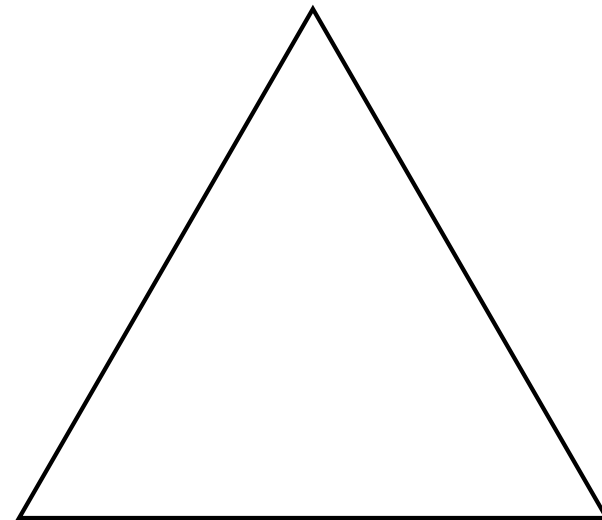
Preprocessing



$$\underbrace{2^{O(n/k)}}_{\text{\# recursive calls}}$$

# recursive calls

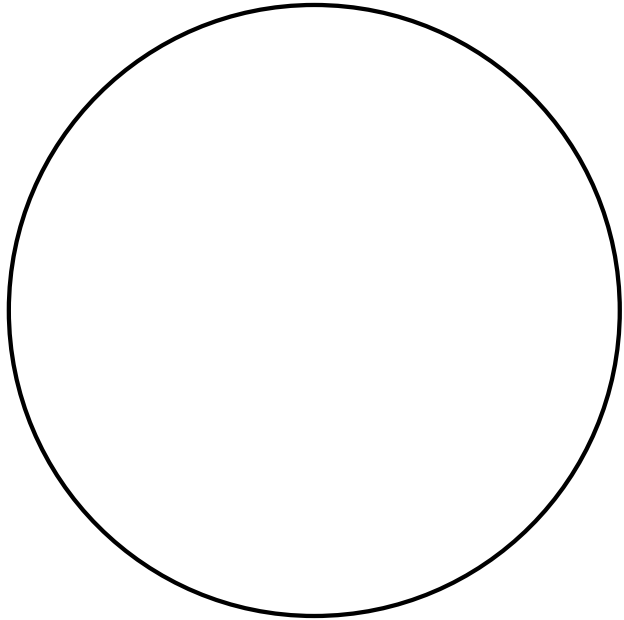
Enumeration Tree



$$2^{O(nk)} n^{O(n-k)}$$

# Our Algorithm

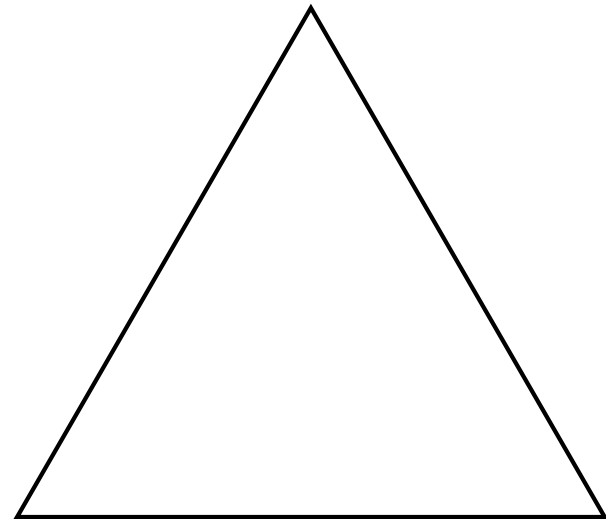
Preprocessing



$$\underbrace{2^{O(n/k)} n^{O(n-k)}}_{\text{\# recursive calls}}$$

# recursive calls

Enumeration Tree



$$2^{O(nk)} n^{O(n-k)}$$

# Fincke-Pohst vs Our Algorithm

