# Physically Uncloneable Functions in the Universal Composition Framework

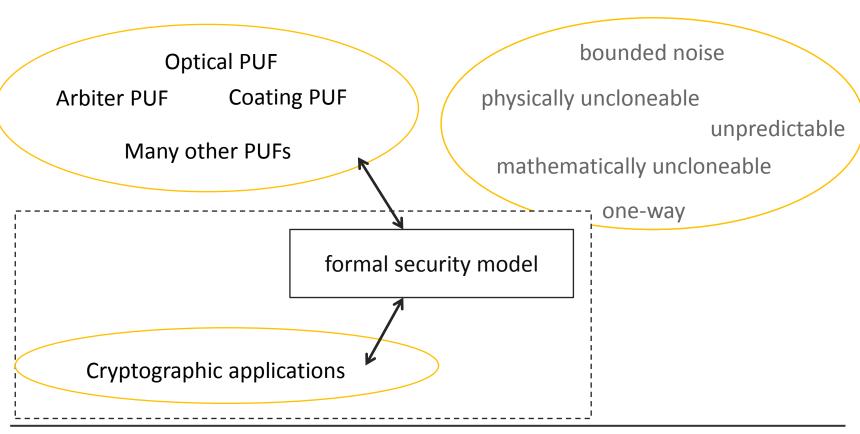
Christina Brzuska
Marc Fischlin
Heike Schröder
Stefan Katzenbeisser





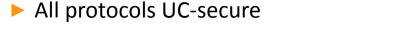


# Security of PUFs



## Applications + nice surprise

- Key agreement
- Oblivious Transfer
- Commitments
  - $\rightarrow$  COM at cost of one round



► Canetti, Fischlin [CF01]: UC-secure commitments

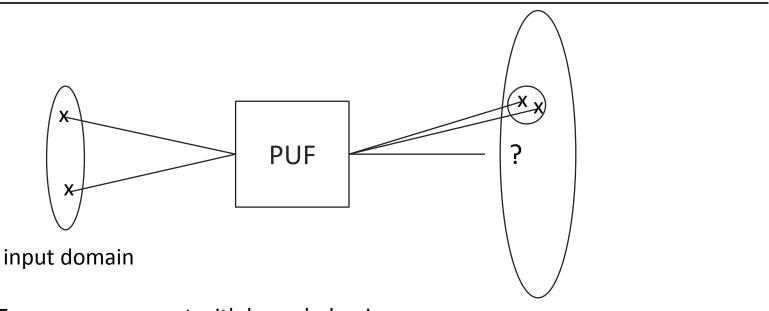


▶ UC-secure commitment scheme from PUFs (without cryptographic assumptions)



"random function in a box"

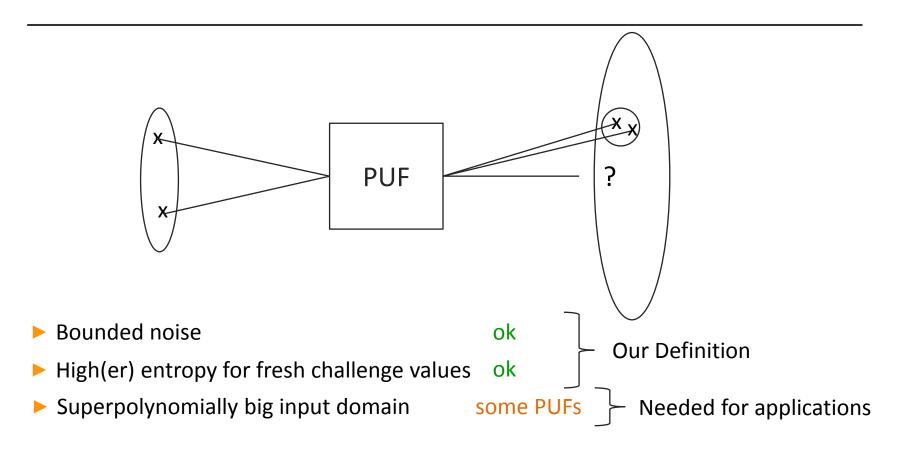
## Physically Uncloneable Functions (PUF)



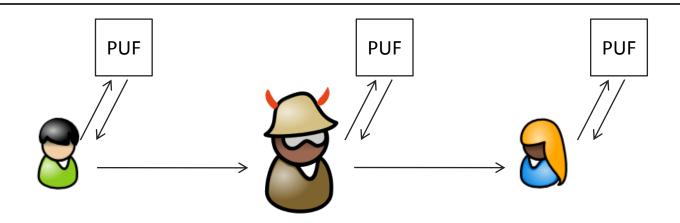
- ► Fuzzy measurement with bounded noise
- ► High(er) entropy for fresh challenge values

output domain

## Physically Uncloneable Functions (PUF)



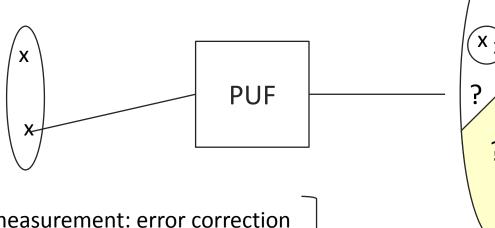
#### Attack Model



- ▶ If input domain is small, the adversary can measure the whole PUF
- Small input domain can be used for key storage, weaker attack model

## ► PUF → NPRO: Fuzzy Extractors [DRS04]

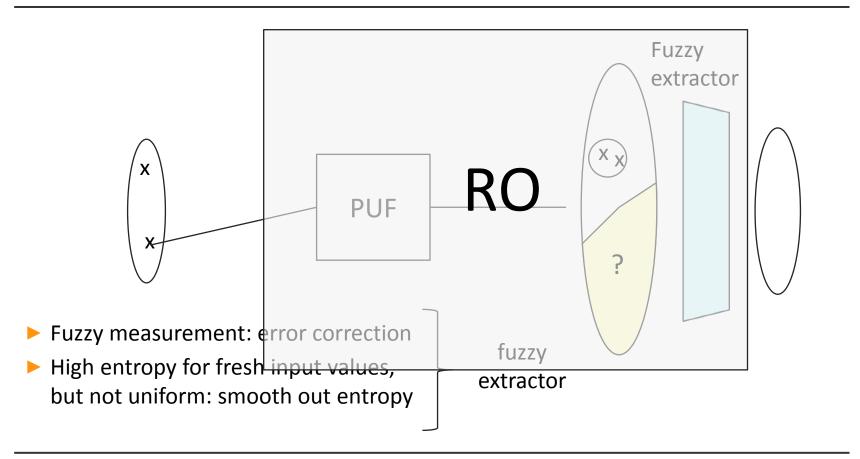
- Goal: random function in a box
- Not a function because of fuzzyness
- No uniform outputs, only high entropy outputs



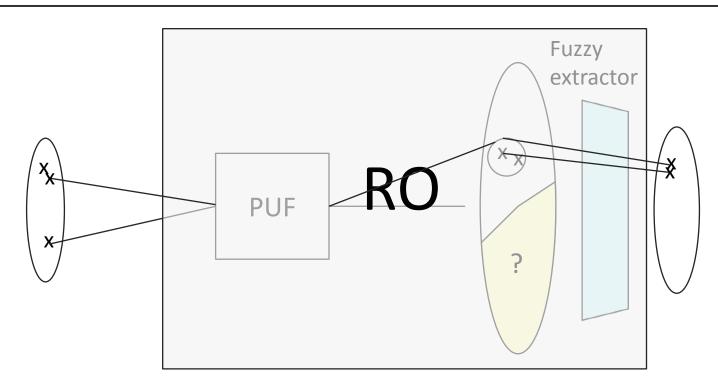
- Fuzzy measurement: error correction
- High entropy for fresh input values, but not uniform: smooth out entropy

fuzzy extractor

# ► PUF → NPRO: Fuzzy Extractors [DRS04]



## ► PUF → NPRO: Fuzzy Extractors [DRS04]



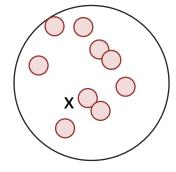
- Almost: If two input values are close, output values might still related
- ▶ It two input values are far away, outputs are uniform and independent

#### ➤ 3 Main Properties for Application

Correctness: Fuzzy(PUF(.)) is a mathematical function

Well-Spread Domain:

input domain

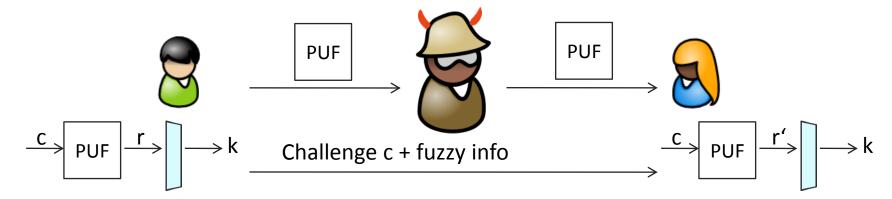


random inputs value is usually "far away" from previous ones

► Uniform outputs:

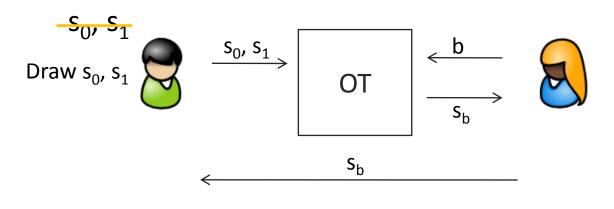
For values, that are far away from previous ones, the output is uniform (probability over: PUF generation, evaluation, fuzzy extractor)

#### Warm-Up: Key Agreement



- ▶ They compute the same key due to **correctness** property of Fuzzy(PUF(.)).
- ► When adversary measures PUF, c is information-theoretically hidden. Due to the **well-spread domain property**, adversary only queries about values that are far away from c.
- ► Therefore, the value k is random from the point of view of the adversary due to the **uniform outputs** property.

#### $\rightarrow$ OT $\rightarrow$ COM



b

- ▶ Bit b is secret.
- ► Receiver learns only s<sub>b</sub>
- Main idea:OT receiver isCOM sender

b



COM < b < open <



#### Oblivious Transfer (OT)

$$S_{0}, S_{1}$$

$$S_{0}, S_{1}$$

$$Draw random x_{0}, x_{1}$$

$$X_{b} \oplus c \oplus X_{0}$$

$$PUF \xrightarrow{r'} \longrightarrow st_{0}$$

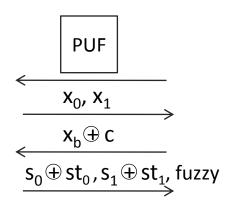
$$X_{b} \oplus c \oplus X_{1} \longrightarrow st_{1}$$

$$X_{0} \oplus st_{0}, S_{1} \oplus st_{1}, \text{fuzzy}$$

$$S_{0} \oplus st_{0}, S_{1} \oplus st_{1}, \text{fuzzy}$$

## Oblivious Transfer (OT)





- Security against receiver via PUF properties
- Security against sender information-theoretic.
- Hence, the resulting commitment scheme is secure against adaptive corruptions

#### Summary

- ► For active adversaries, we need PUFs with:
  - Bounded noise
  - ► High(er) entropy for fresh challenge values
  - Superpolynomially big input domain
- Properties of PUF+fuzzy extractor:
  - Correctness
  - Well-spread domain
  - Uniform outputs
- ► Get efficient provably secure protocols without cryptographic assumptions
  - Key Agreement
  - Oblivious Transfer
  - Commitments: one-round transformation from OT
- ightharpoonup PUF + Fuzzy  $\stackrel{pprox}{\sim}$  NPRO, but apparently, one can do even more with PUFs

# ► Thank you







Heike Schröder



Stefan Katzenbeisser

#### ► On NPRO and PUFs in UC

